

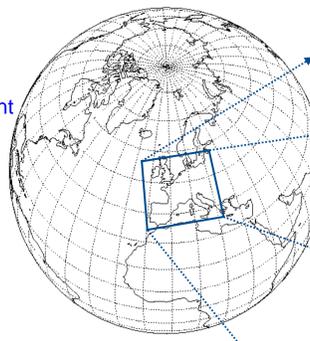
Numerical Weather Prediction at MeteoSwiss

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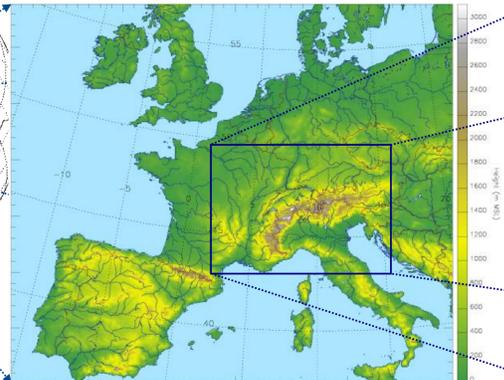
Swiss implementation of the COSMO-Model

- Prognostic variables**
pressure, 3 wind components, temperature, specific humidity, cloud water, cloud ice, rain, snow, turbulent kinetic energy (TKE), 4 different pollen species. COSMO-2: also graupel
- Coordinates** general terrain-following height-based vertical levels, Lorenz staggering; Arakawa-C, rotated Lat/Lon horizontal grid
- Dynamics** 2-timelevel 3rd order Runge-Kutta
- Physics**
bulk microphysics for atmospheric water content, multilayer soil module, radiation, turbulence, sso, COSMO-7: Tiedtke mass flux convection scheme
COSMO-2: explicit deep convection
- Computers**
2 Cray XE6 (production / backup & development) at Swiss National Supercomputing Centre, CSCS
144 / 336 AMD 2.1 GHz MagnyCours processors with 1728 / 4032 computational processing cores
Together, the systems can reach a peak performance of 50 TFlops.
- Time to solution**
27 minutes for 33h COSMO-2
Effective performance 450 Gflops (5% of peak)



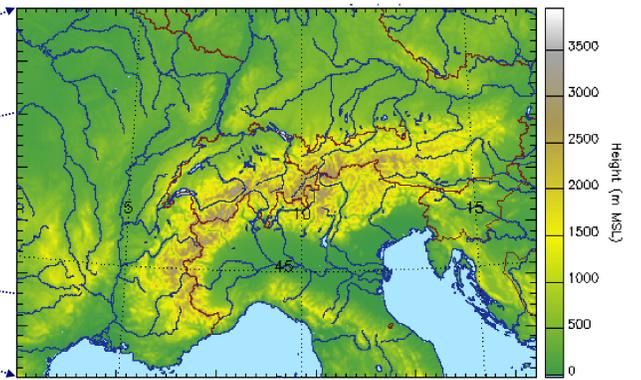
Global Integrated Forecast System IFS (ECMWF, ~16km resolution)

COSMO-7



COSMO-7 domain (maximum height at 3140m).

COSMO-2



COSMO-2 domain (maximum height of 3944m).

Mesh size	3/50°, ~6.6km	1/50°, ~2.2km
Domain	393 x 338 x 60 = 7'970'040 grid points	520 x 350 x 60 = 10'920'000 grid points
Forecasts	+72h at 00, 06 and 12 UTC	+33h at 00, 06, 09, 12, 15, 18, 21 UTC, +45h at 03 UTC
Boundary conditions	Hourly update from IFS	Hourly update from COSMO-7
Initial conditions	Newtonian relaxation (nudging) to surface and upper air observations, intermittent cycle of 3h assimilation	Same as COSMO-7, but with use of radar data over Switzerland (latent heat nudging)

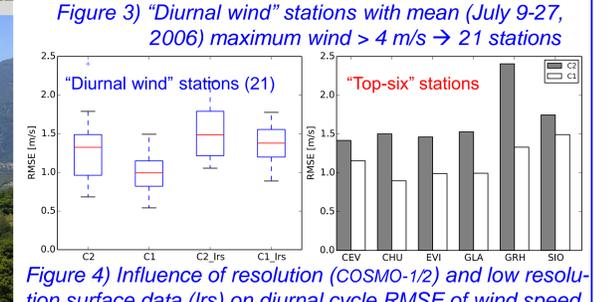
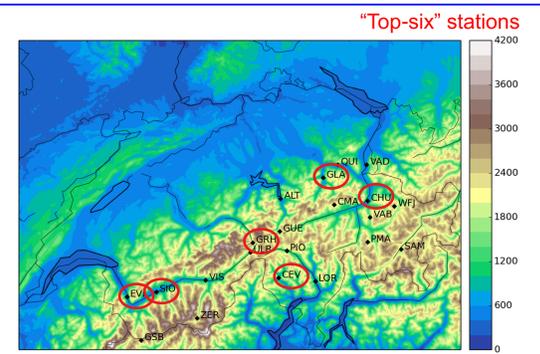
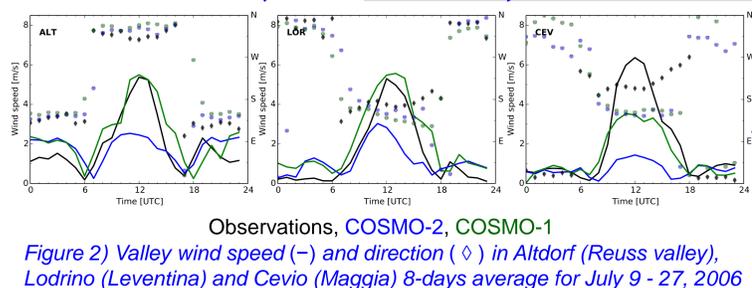
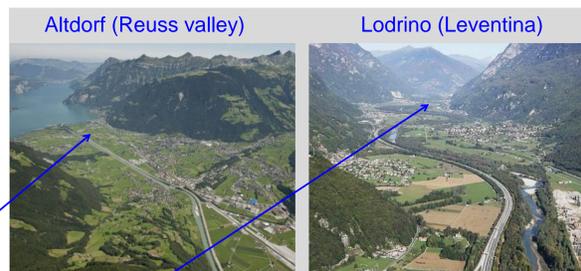
Valley winds with COSMO-1 Jürg Schmidli (ETH)

IFS in 2016:
~9km resolution

Next deterministic model: COSMO-1
 $\Delta x = 1.1 \text{ km}$, $\Delta t = 10 \text{ s}$
1158 x 774 x 80 grid points
33 – 45h day forecasts, 8 x per day

Figure 1) COSMO-1 domain (maximum height at 4270m)

- RESULTS**
- Benefit of high resolution for wind speed. Narrow valley stations like Cevio are more difficult (Fig. 2)
 - Large improvement of valley winds for most sites (Fig. 3 and 4)
 - Critical factors are resolution and external parameters. Need high-resolution surface data for 1km simulations



GridTools Lucas Benedicic¹, Mauro Bianco¹, Paolo Crosetto¹, Oliver Fuhrer², Carlos Osuna³, Thomas C. Schulthess¹

Targeted Applications

- Regular Grids
- Multidimensional arrays
- Structured grids
- Regular tessellations
- Icosahedral grid
- Cube on sphere
- Fixed refinements on regular sub-regions

Scope of GridTools

- Set of libraries for stencil methods
 - Describing stencils
 - Iteration constraints - Data Structures
 - Computation units - Interfaces
 - Composing stencils
 - Halo update
 - Boundary conditions
- Block structured grids (hierarchical structure)
- Interoperable by sharing concepts
- Suited for other application fields
 - No application field specific constructs
- One does not have to adhere to all of them!

General Properties

- Industry quality tools for development
- Works on multiple backends (GPUs or CPUs)
- Single language for the whole application
- Library composition
- Library abstraction
- Separation of concerns
- Incremental optimization
- Extensibility

Challenges

- Debug ability / Verifiability
- Steep programmer learning curve
- Maintainability: modular design with multiple backends

1: Swiss National Supercomputing Centre, CSCS
2: MeteoSwiss
3: Center for Climate Systems Modeling, C2SM

Laplace Operator in C++

```

struct lap_function {
    typedef output_accessor<0> out;
    typedef input_accessor<1, range<-1,1,-1,1> > in;
    typedef arg_list<out, in> arg_list_type;

    template <typename Accessors>
    static void Do(Accessors const & eval, x_lap) {
        eval(out()) = eval(4*in() -
            in( 1, 0, 0) + in( 0, 1, 0) +
            in(-1, 0, 0) + in( 0,-1, 0)); }
};
    
```

Laplace Operator in Python

```

class LaplaceStencil (MultiStageStencil):
    def kernel (self, out, in):
        for p in self.interior_points (out,
            halo=(-1,1,-1,1)):
            out [p] = 4 * in [p] - (
                in_data[p+(1,0,0)] + in_data[p+(0,1,0)] +
                in_data[p+(-1,0,0)] + in_data[p+(0,-1,0)])
    
```