



The scale dependence of uncertainty in the quantitative forecasting of heavy convective rainfalls

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Content



Experiments to assess the uncertainty in very short range QPF and to relate it to the forecast accuracy

Local area precipitation at flash flood events

- Storm events – briefly
- NWP model – COSMO
- QPF accuracy - verification techniques
- QPF uncertainty - ensemble techniques
- Conclusions - outlook

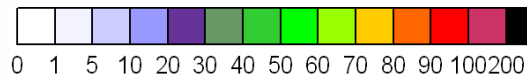
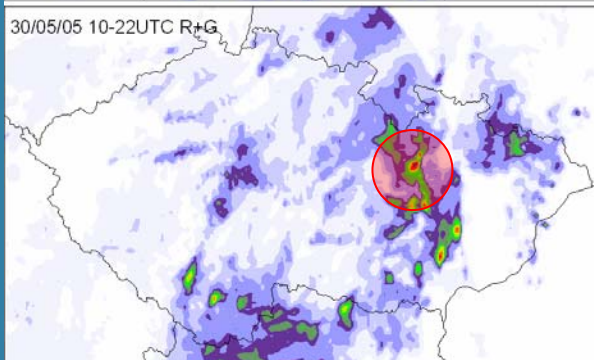
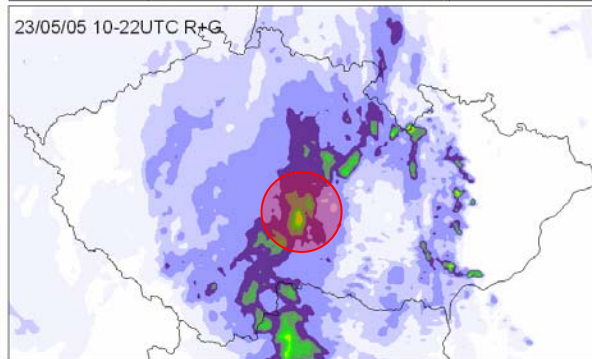
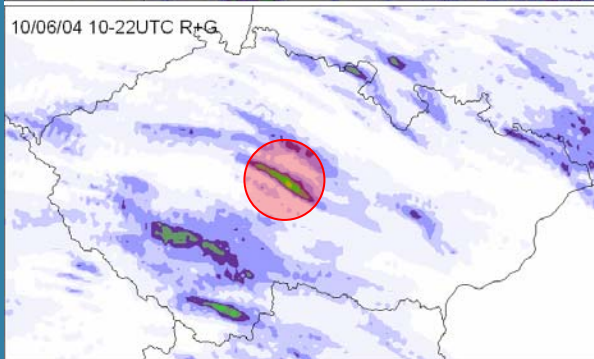
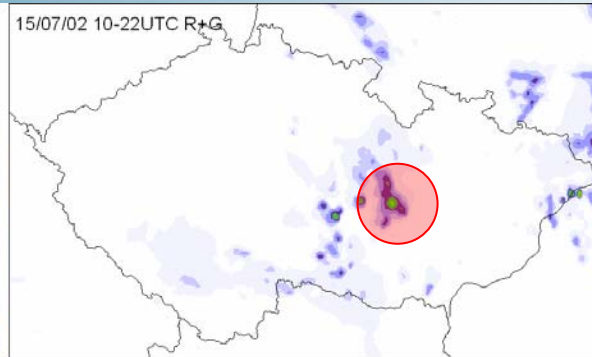
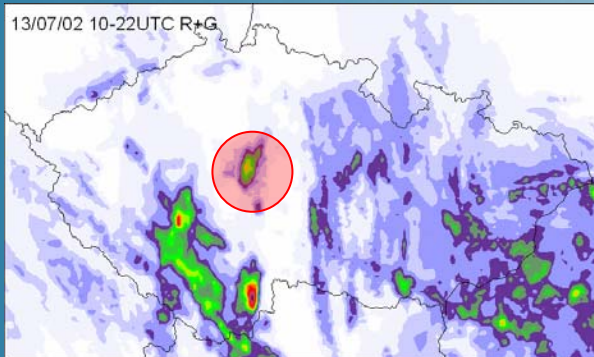
Flash flooding in CR



- Multicellular storms – often nearly steady position
- Near cancellation of movement and propagation and/or train effect
- Repeated rainfall over given location
- 5 events were analysed



Events



13.7.2002

15.7.2002

10.6.2004

23.5.2005

30.5.2005

R+G

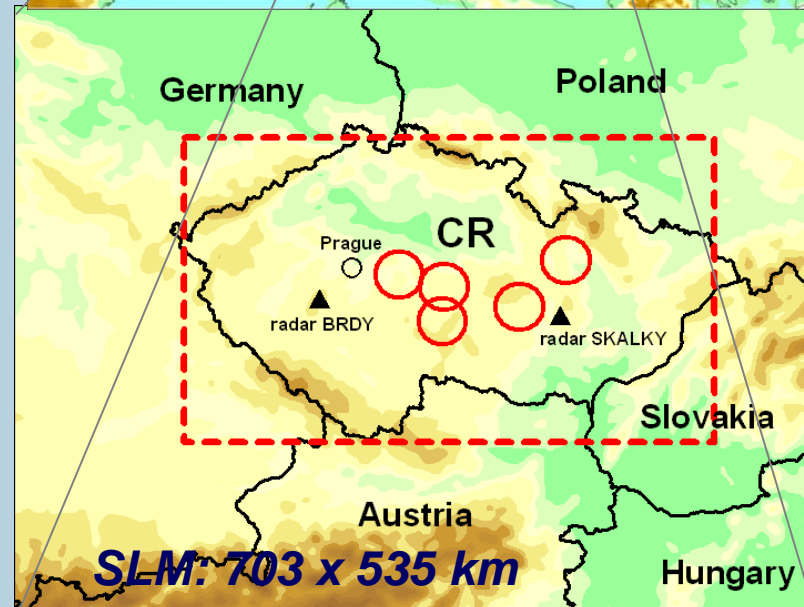
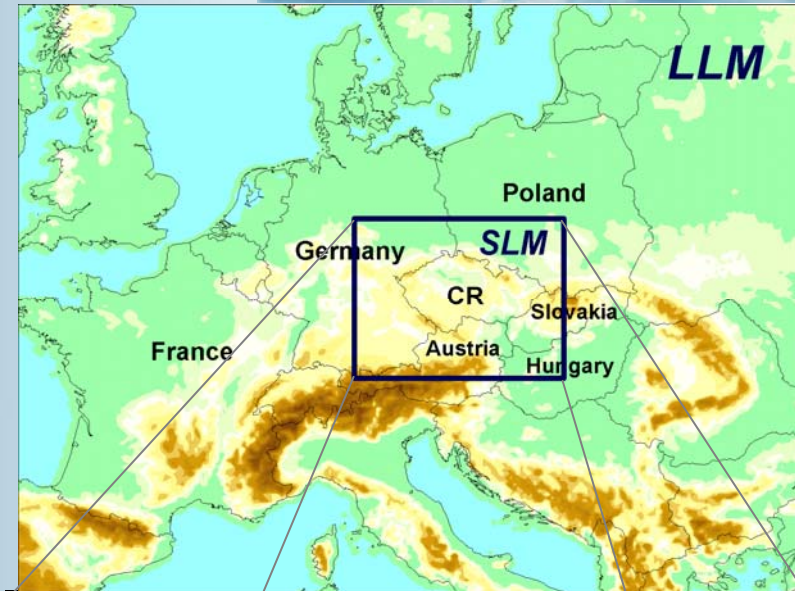
**domain size about 500x300 km
rainfall 10-22 UTC**

QPF – NWP COSMO

- LLM : 231x175 g.p., ~11 km,
- 00UTC+24h,
- init. cond. ECMWF
- SLM : 251x191 g.p., ~2.8 km,
- 06UTC+18h,
- init. cond. LLM

- CZRAD - 2 radars
- QPF verification : R+G
- 5 Local flash flood storms •

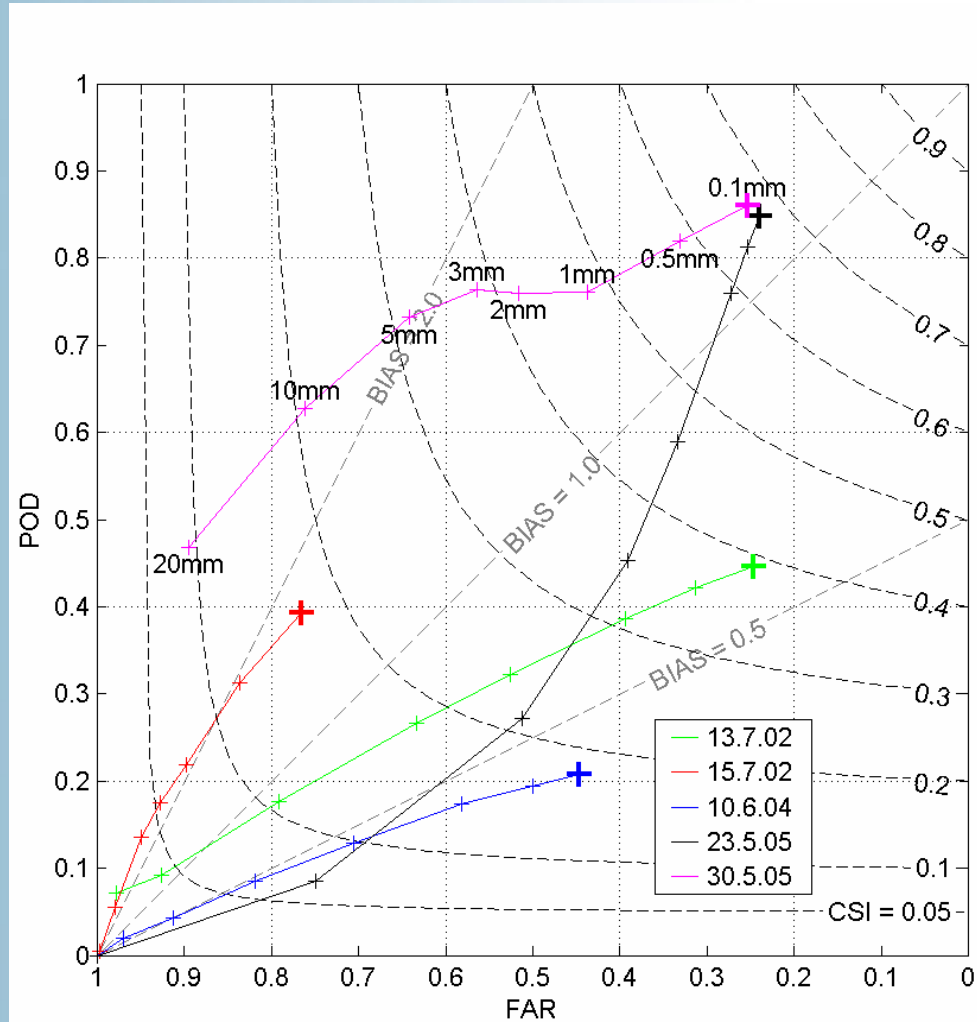
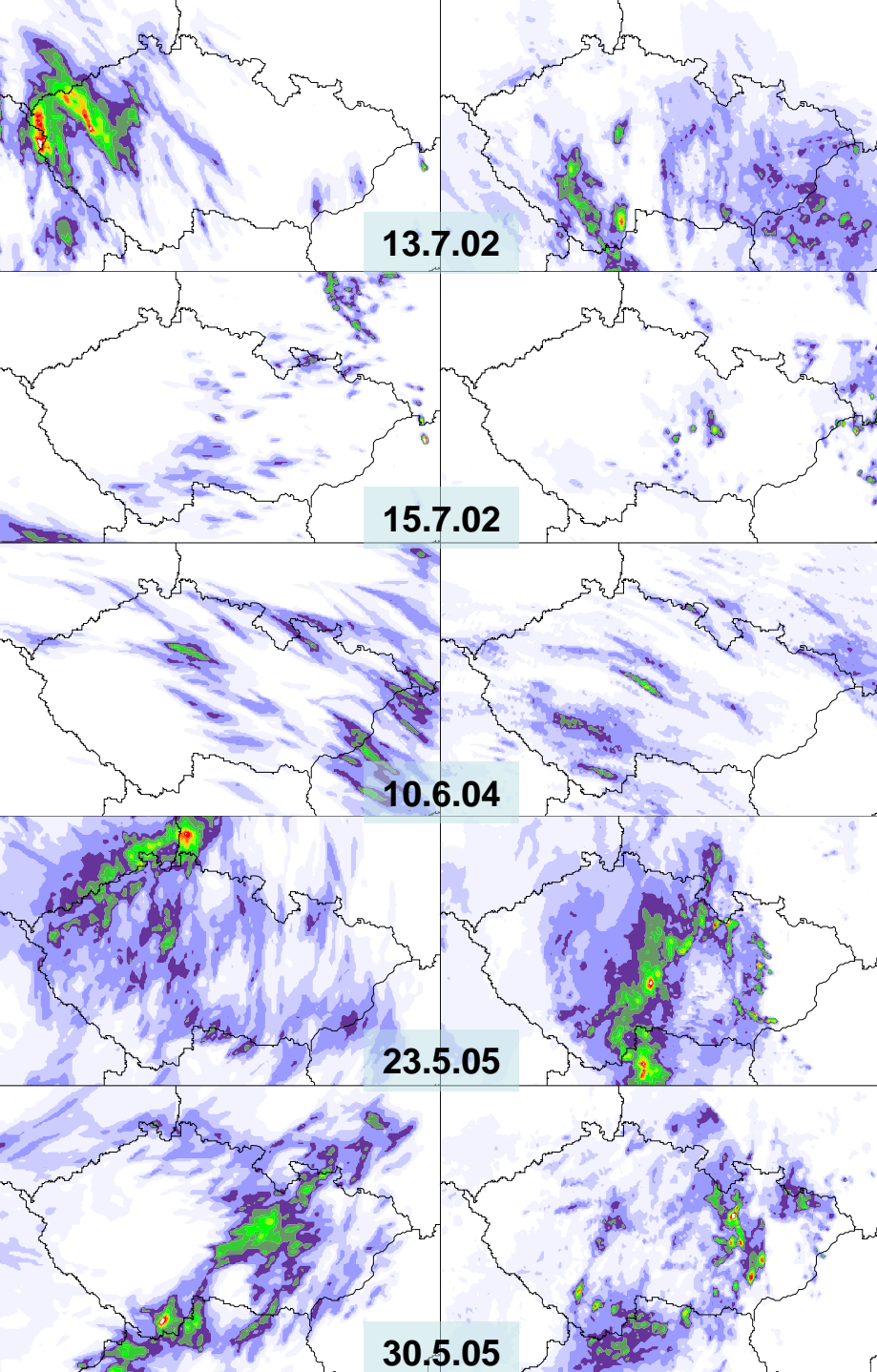
Verification domain
165x95 g.p. (462x266 km)



Trad. verification techniques

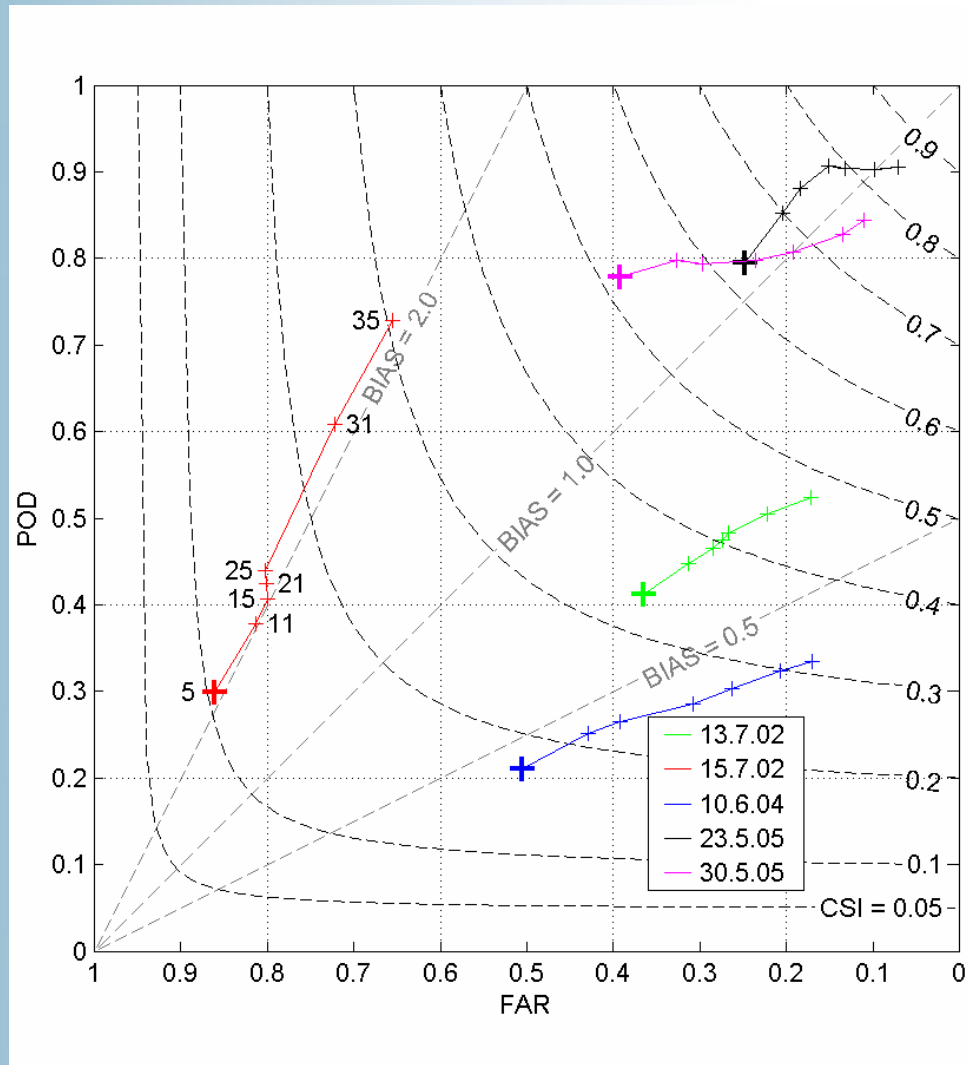
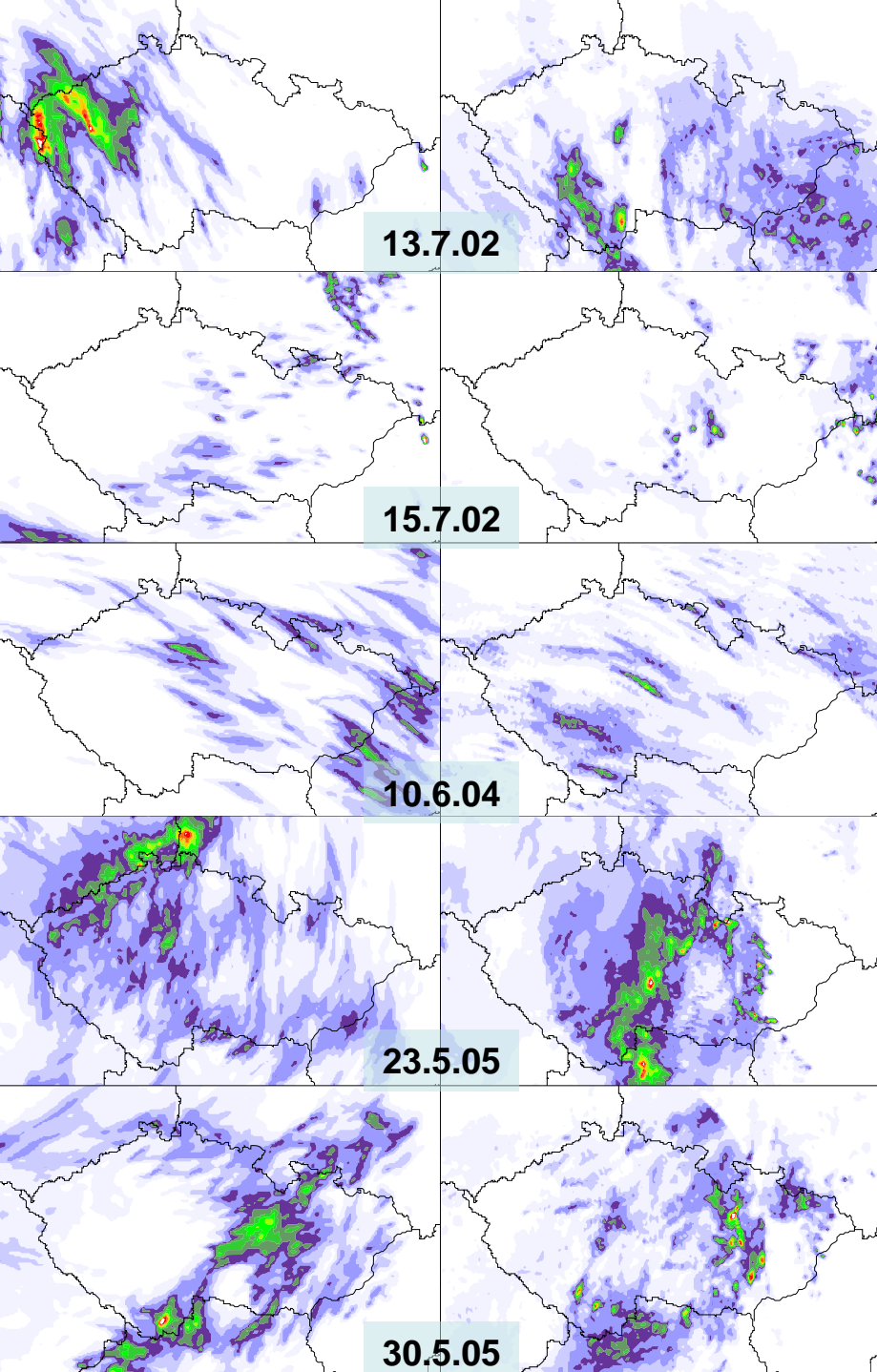
- ⇒ Suitable predictand – area precipitation, accumulated rainfall ...,
- ⇒ Observation data – G, R, **R+G**
- ⇒ Obs. data and forecast in identical grids
- ⇒ Continuous prediction (MSE, RMSE,.....)
- ⇒ Binary prediction (Y/N) - Contingency table
- ⇒ Categorical scores (POD, FAR, CSI, BIAS)
- ⇒ High resolution QPF - double penalty

QPF(P_{th} , Area, duration)



$A \Rightarrow 1$ g.p.; P_{th} : 0.1, 0.5, 1...20 mm
 time: 6h ; 10-16 forecast (16-22 UTC)

QPF(P_{th} , Area, duration)

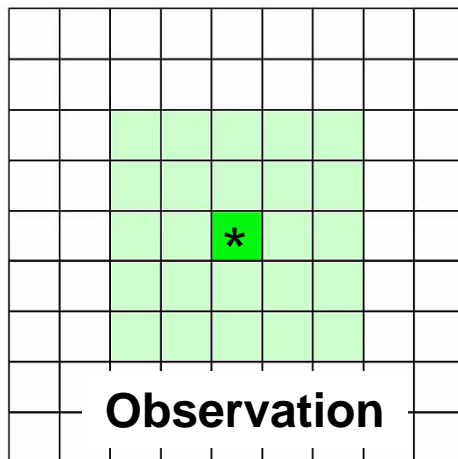


$A \Rightarrow 5, 11, \dots, 35$ g.p.; $P_{th} : 1\text{mm}$

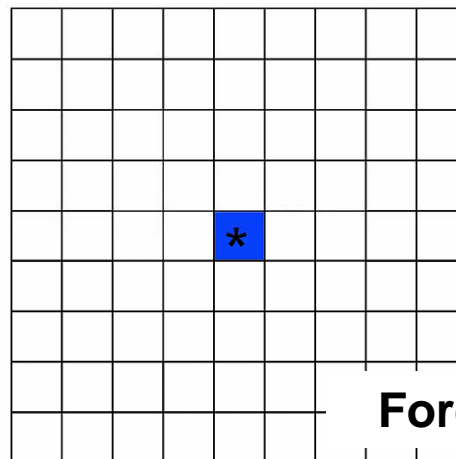
time: 6h ; 10-16 forecast (16-22 UTC)

Traditional vs. „Fuzzy“ verification

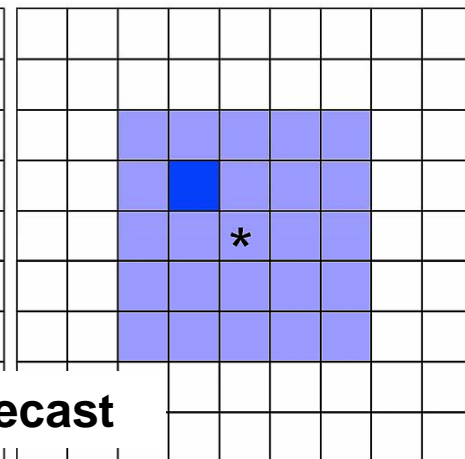
Ebert (2007): „Fuzzy“ verification relaxes the exact match to the observation at high resolution



Traditional



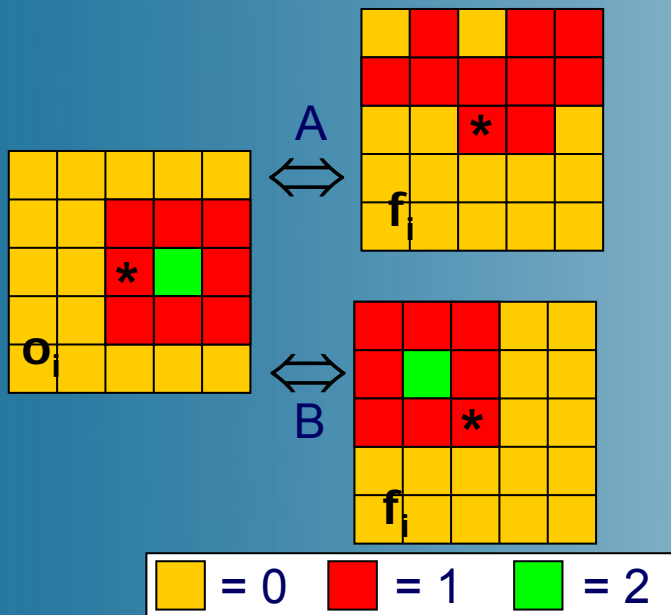
„Fuzzy“



Area-Related RMSE



- ➔ AR_RMSE (Řezáčová, Sokol, Pešice, 2007)
- ➔ Precipitation over a square of $n \times n$ g.p. centered in each g.p.
- ➔ Comparison of precipitation distribution



RMSE (F, O)

$$F \equiv \{f_i\}, f_1 \leq f_2 \leq \dots \leq f_{n \times n}$$

$$O \equiv \{o_i\}, o_1 \leq o_2 \leq \dots \leq o_{n \times n}$$

A =>	RMSE = 0.63	A-R_RMSE = 0.28
	MAE = 0.4	A-R_MAE = 0.08
	ME = 0	
B =>	RMSE = 0.89	A-R_RMSE = 0.0 !
	MAE = 0.64	A-R_MAE = 0.0
	ME = 0	

← RMSE vs. AR-RMSE

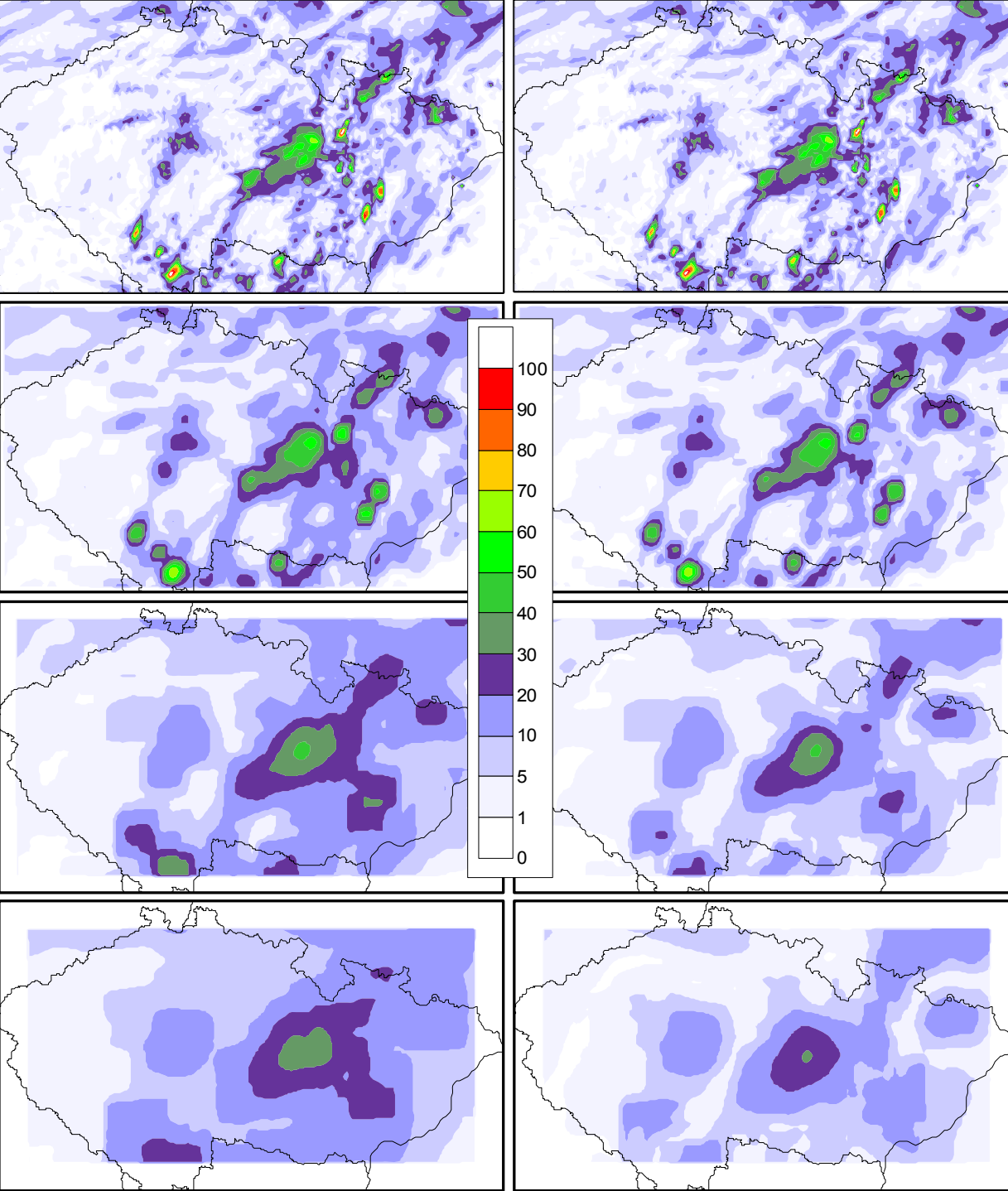


I) 1*1 g.p.

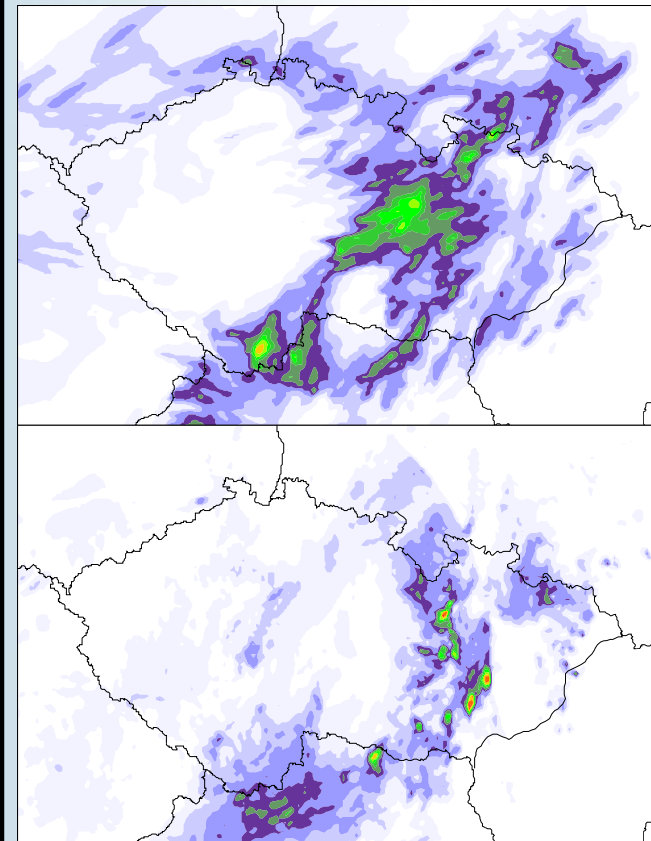
II) 5*5 g.p.

III) 13*13 g.p.

IV) 21*21 g.p.



forecast / radar



FSS (Fraction Skill Score)



➔ elementary area : $A_k \Rightarrow n_d \times n_d$ g.p.

➔ P_{th} threshold value

➔ $p_k, o_k = A_k(P > P_{th}) / A_k$;

$$FSS(A, P_{th}, D) = 1 - \frac{\frac{1}{n} \sum_{k=1}^n (p_k - o_k)^2}{\frac{1}{n} \left[\sum_{k=1}^n p_k^2 + \sum_{k=1}^n o_k^2 \right]}$$

➔ $FSS \in \langle 0, 1 \rangle$, $FSS = 1$ 😊

FSS – 30.5.2005



20.0	0.17	0.21	0.24	0.27	0.29	0.31	0.34	0.38	0.39	0.41	0.43	0.44	0.44	0.43
10.0	0.35	0.40	0.44	0.46	0.48	0.50	0.54	0.59	0.63	0.66	0.68	0.69	0.68	0.66
9.0	0.37	0.43	0.46	0.49	0.51	0.53	0.57	0.62	0.66	0.69	0.72	0.72	0.72	0.70
8.0	0.40	0.45	0.48	0.51	0.53	0.55	0.59	0.64	0.67	0.71	0.73	0.74	0.74	0.72
7.0	0.42	0.48	0.51	0.53	0.56	0.58	0.62	0.67	0.70	0.73	0.76	0.77	0.77	0.75
6.0	0.45	0.50	0.53	0.56	0.58	0.60	0.64	0.69	0.72	0.75	0.78	0.80	0.80	0.78
5.0	0.48	0.54	0.57	0.59	0.62	0.64	0.68	0.72	0.75	0.79	0.82	0.84	0.84	0.83
4.0	0.52	0.57	0.61	0.63	0.65	0.67	0.71	0.76	0.79	0.82	0.86	0.88	0.88	0.88
3.0	0.56	0.61	0.64	0.66	0.68	0.70	0.74	0.79	0.81	0.85	0.89	0.91	0.92	0.92
2.0	0.59	0.64	0.67	0.69	0.71	0.73	0.77	0.81	0.84	0.87	0.91	0.94	0.95	0.96
1.0	0.65	0.69	0.72	0.74	0.75	0.77	0.79	0.83	0.85	0.88	0.92	0.95	0.97	0.98
0.1	0.80	0.84	0.85	0.87	0.88	0.89	0.90	0.92	0.93	0.94	0.95	0.97	0.98	0.99
	1	3	5	7	9	11	15	21	25	31	41	51	61	71
	the size of elementary square [g.p.]													

1 g.p.~2.8 km
71 g.p.~200 km

QPF uncertainty, Ensemble prediction and evaluation

⇒ Use fuzzy technique to describe ensemble Skill/Spread relationship

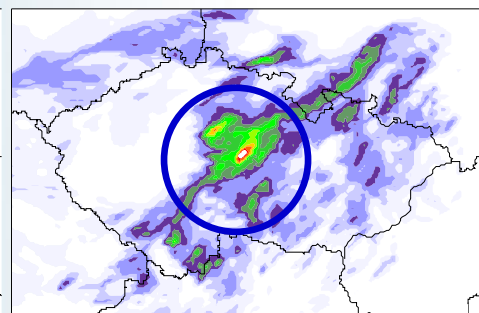
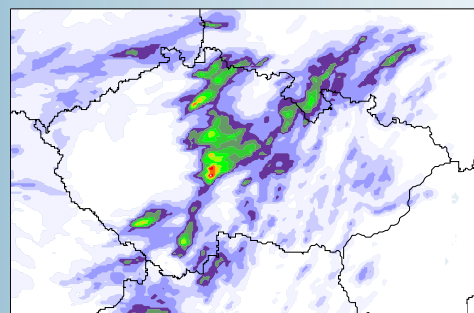
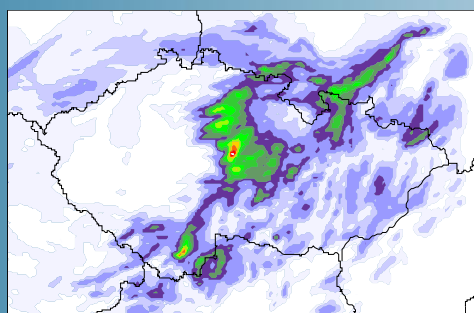
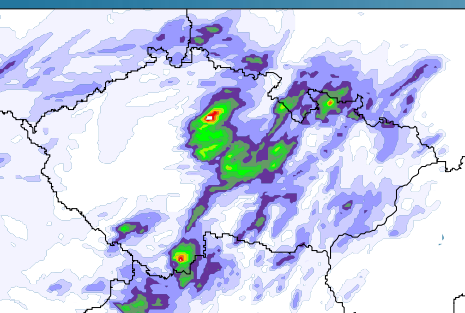
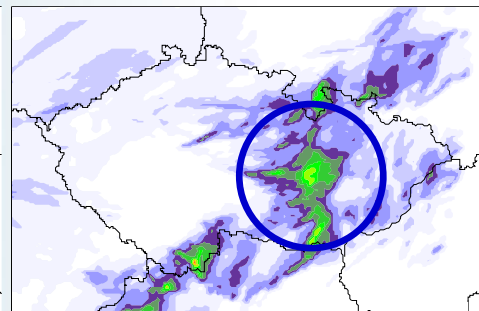
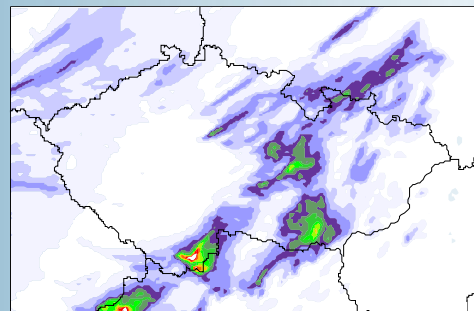
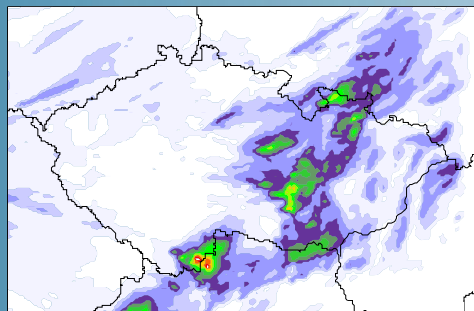
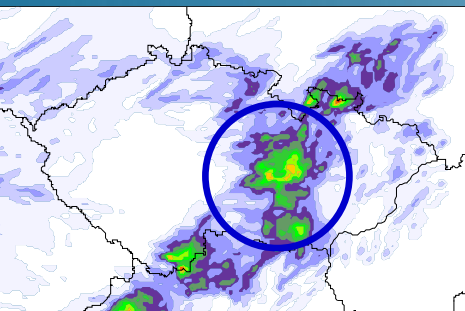
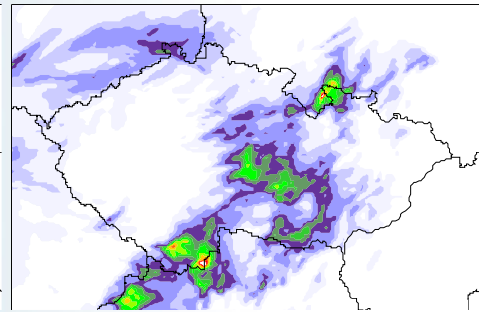
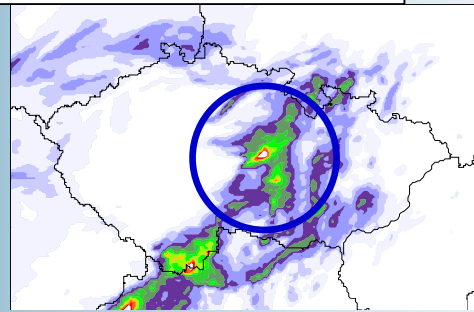
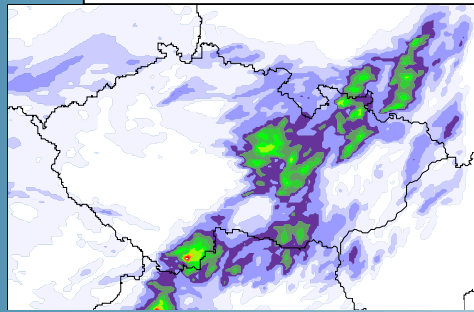
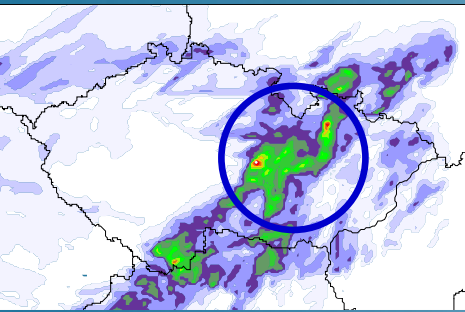
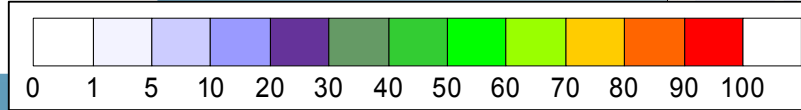
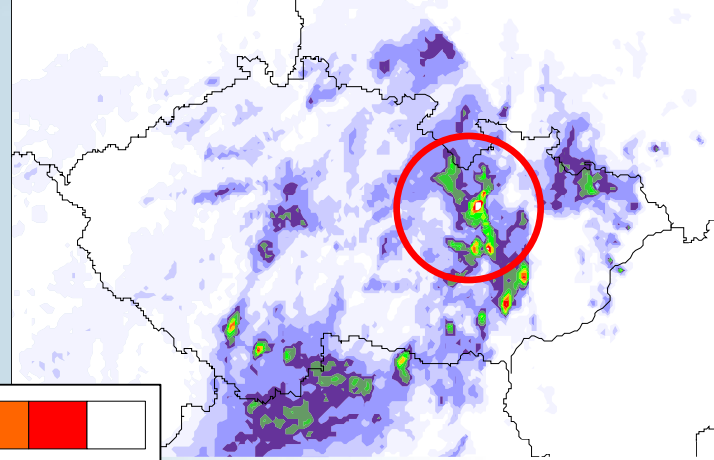
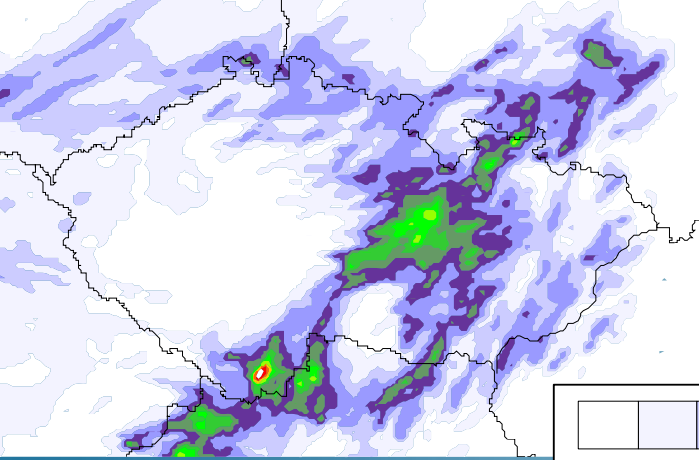
⇒ Gritmit, Mass, 2007: Measuring the ensemble spread - error relationship with a probabilistic approach: Stochastic ensemble results.

⇒ ensemble spread depends on EP

⇒ ensemble error/skill depends on verification data

⇒ ensemble spread \Leftrightarrow ensemble skill/error

30.5.2005
12h rainfall
12-24 UTC



Skill (FSS), spread (FSSP)

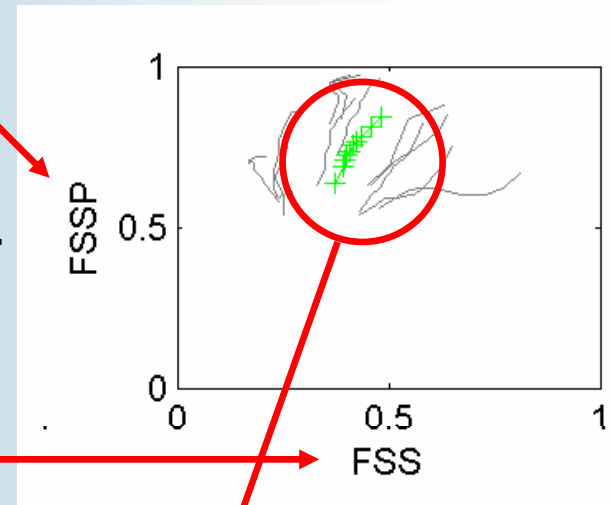


➔ Ensemble spread :
predictions produced by ensemble
members \Leftrightarrow reference forecast

$$\text{FSSP}(A, Th, t) = \text{FSS}(p_N, p_{\text{ref}})$$

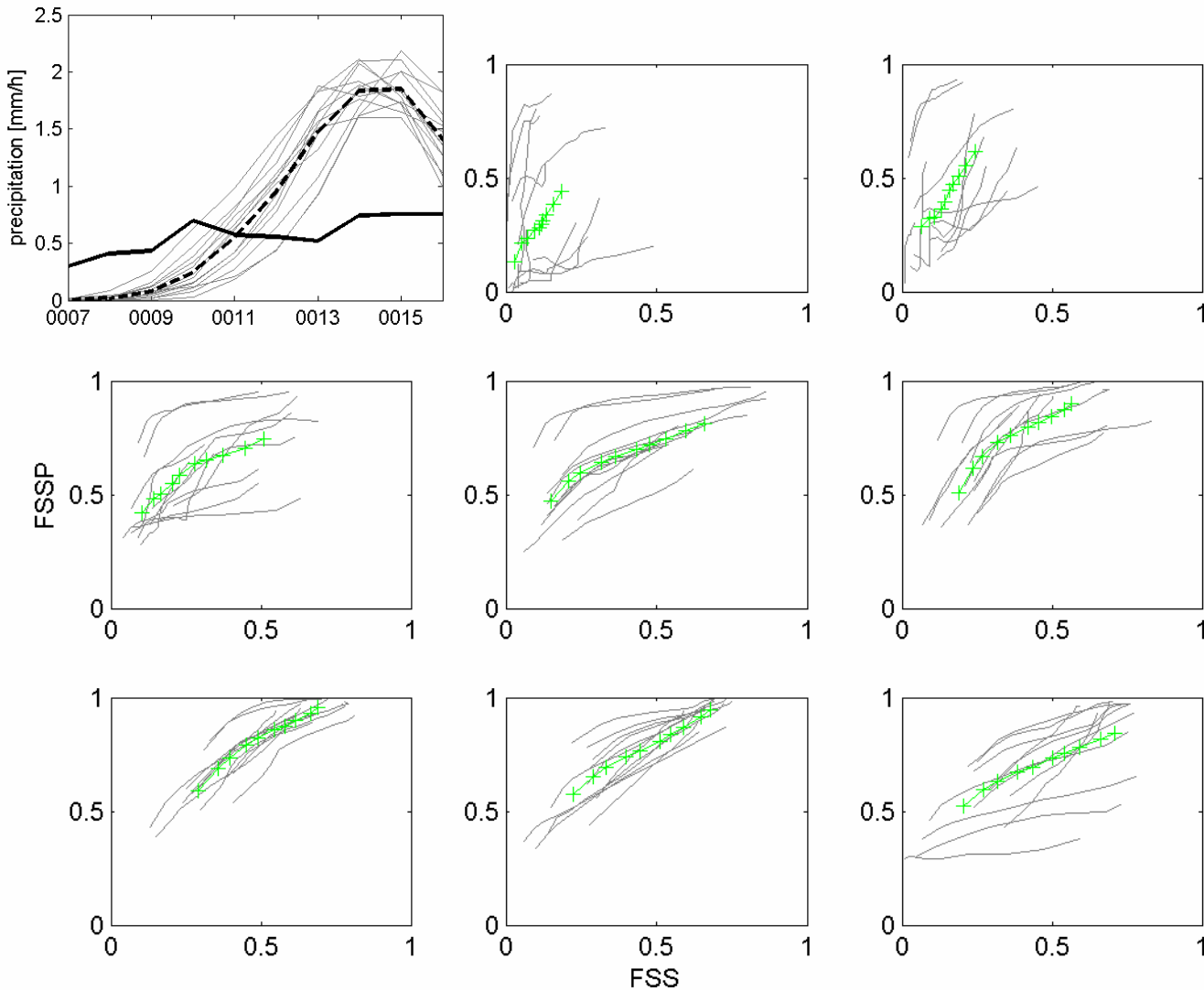
➔ Ensemble skill :
predictions produced by ensemble
members \Leftrightarrow observation

$$\text{FSS}(A, Th, t) = \text{FSS}(p_N, o)$$



➔ FSSP/FSS relation dependence on A

Skill (FSS), spread (FSSP)



30.5.2005

$D = 1\text{ h}$

$P_{\text{th}} = 2\text{ mm}$

Integration
time: 9 - 16 h

Time:
15 - 22 UTC

Mean FSS, mean FSSP

FSS(A, P_{th} , t = 3hod) vs. FSSP(A, P_{th} , t = 3hod)

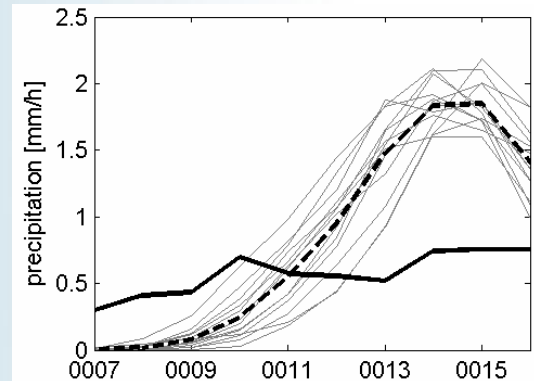
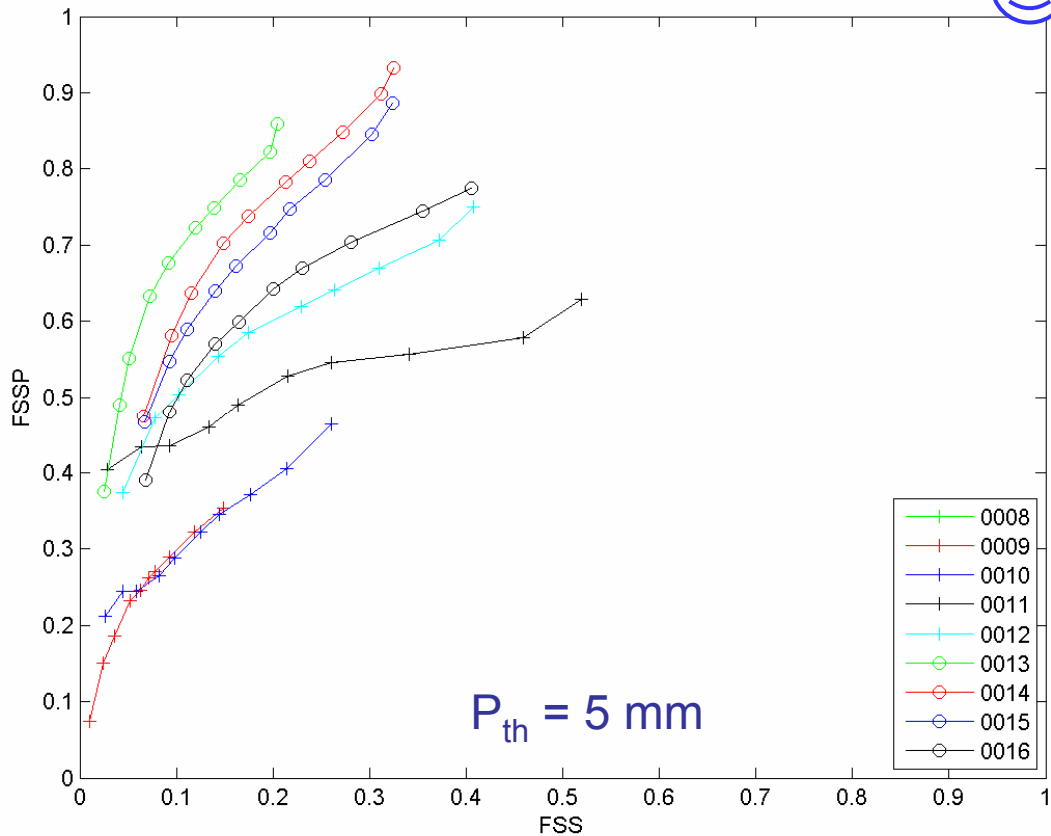


30.5.2005

D = 1h

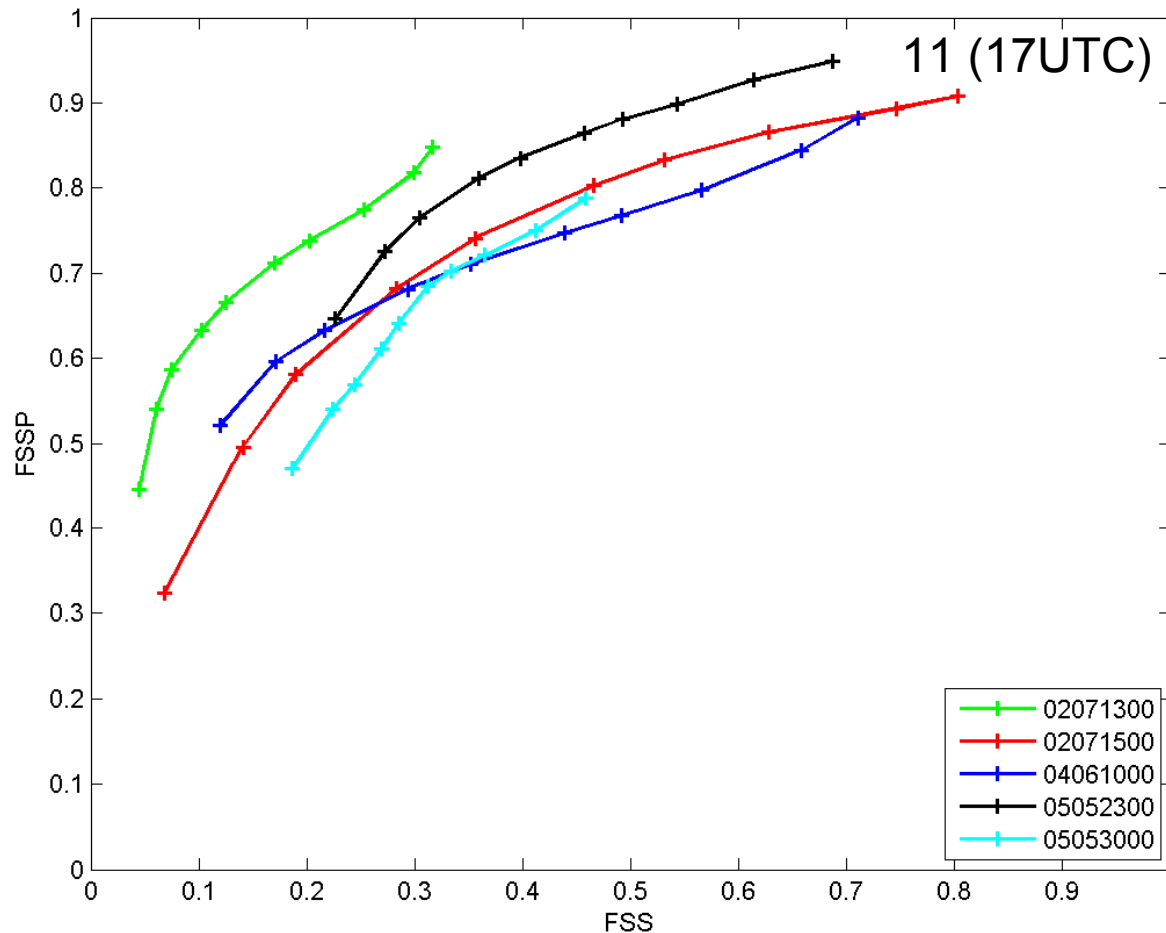
**Integration
time: 8 - 16 h**

**Time:
14 - 22 UTC**



Mean FSS, mean FSSP

FSS(A, P_{th}, t = 1hod) vs. FSS(A, P_{th}, t = 1hod)



5 events

D = 1h

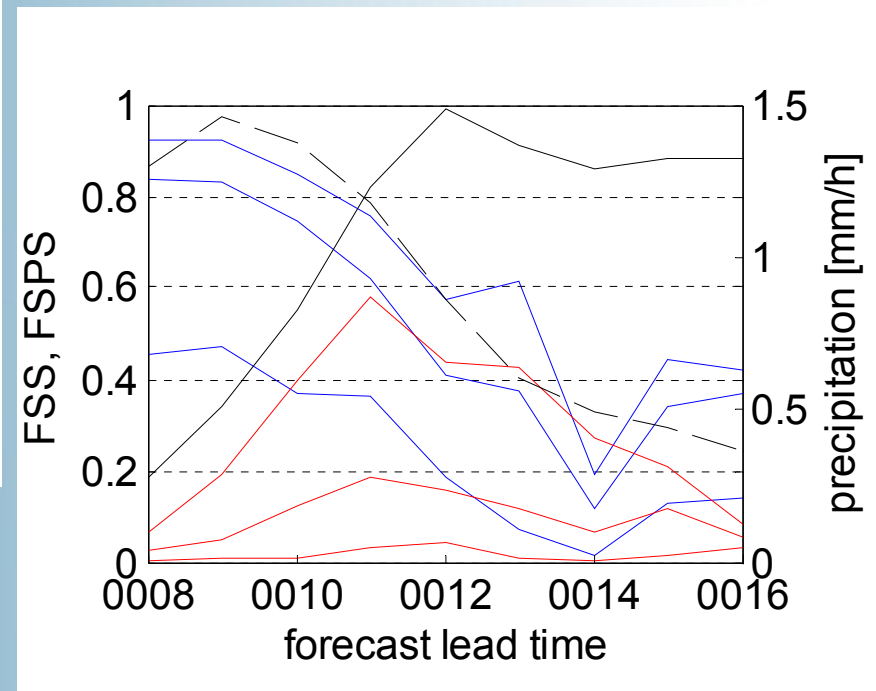
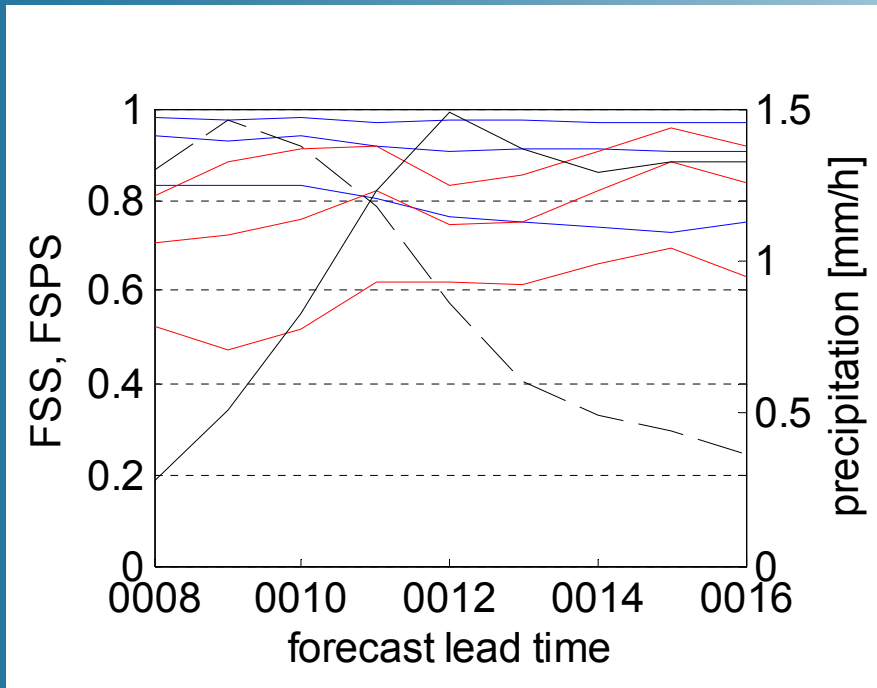
Last hour int.
time: 11 h

Time: 17 UTC

Mean FSS, mean FSSP



FSS(A = 5, 31, 61; $P_{th} = 0.1\text{mm}$, t) vs. FSPS(A = 5, 31, 61, $P_{th} = 10\text{mm}$, t)



FSS(A = 5, 31, 61, $P_{th} = 10\text{mm}$, t) vs. FSPS(A = 5, 31, 61, $P_{th} = 10\text{mm}$, t)

Conclusions and Outlook

- ➔ 1h, 3h and 6h rainfalls, 5 conv. events, FSS-FSSP, effect of A, P_{th}, integration time.
- ➔ The FSSP (spread) and FSS (skill) values are correlated. The correlation depends on area size, threshold value.
- ➔ Increasing area size causes an increase in FSS and FSSP – (positive effect). Increasing threshold value causes a decrease in FSS and FSSP – (negative effect). The both effects are case (event) dependent
- ➔ More convective events, more insight into S/S (timing, accumulation, the stratification of events according prec. cover and totals – model and or R+G)
- ➔ Modify the Ensemble Construction or test other variants of EC.

Thank you



Acknowledgement: DWD, CHMI, Cost 731

References

- Buizza R., 1997: Potential skill of ensemble prediction and spread and skill distributions of the ECMWF Ensemble Prediction System, MWR, 99-119.
- Gritit E.P., Mass C.F., 2007: Measuring the ensemble spread-error relationship with a probabilistic approach: Stochastic ensemble results. MWR, 203-221
- Ebert E. E., 2007: Fuzzy verification of high resolution gridded forecasts: A review and proposed framework. Meteor. Apps., in print
- Rezacova, D., Sokol Z., Pesice, P., 2007. A radar-derived verification of precipitation forecasts for local convective storm. Atmos. Research, 83, 211-224.